

# Unsharp Masking: Map results are jointly dependent on transform configuration

Mars Odyssey,  
HEND Working Group Meeting

May, 2006

Tim McClanahan\*<sup>1,4</sup>, Jacob Trombka<sup>1</sup>, Igor Mitrofanov<sup>2</sup>,  
Raold Sagdeev<sup>3</sup>, Murray Loew<sup>4</sup>

# Unsharp Masking Background

1. Transform identified as a deconvolution technique in several papers related to Lunar Prospector neutron flux rate mapping as enhancing spatial resolution.
2. Transform identified as an Image Sharpening Transform called Unsharp Masking.

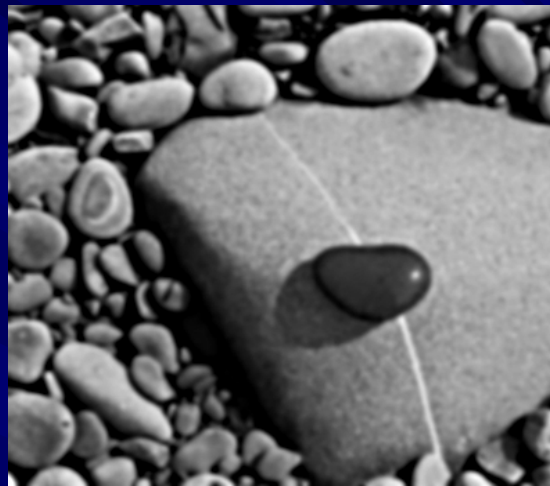
## Objectives:

To investigate possible use of Unsharp Masking process on HEND and LEND data analysis. Also, to identify Any dependencies in several key transform parameters.

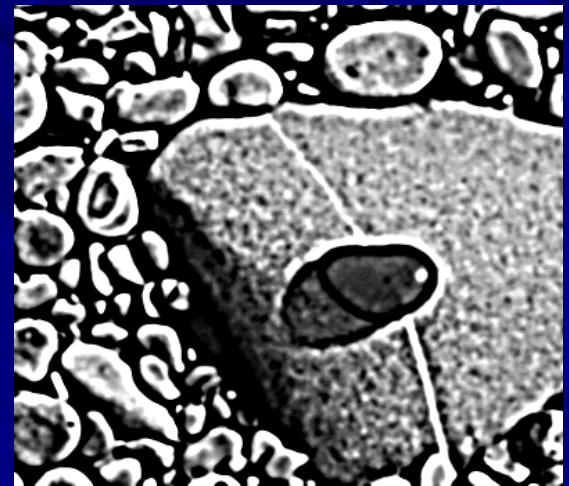
# Unsharp Masking in Imagery



Blurred Image,  $O$



Unsharp Masking,  $k = 1$   
Kernel  $p$  = gaussian, (5x5)



Oversharpened,  $k = 5$

Unsharp Masking Transform:  $I_{k+1} = I_k + r^*(O - p \otimes I_k)$

$O$  = Starting Image

$I_k$  = Present Image at iteration,  $k$

$r$  = scalar: fraction of high pass filter

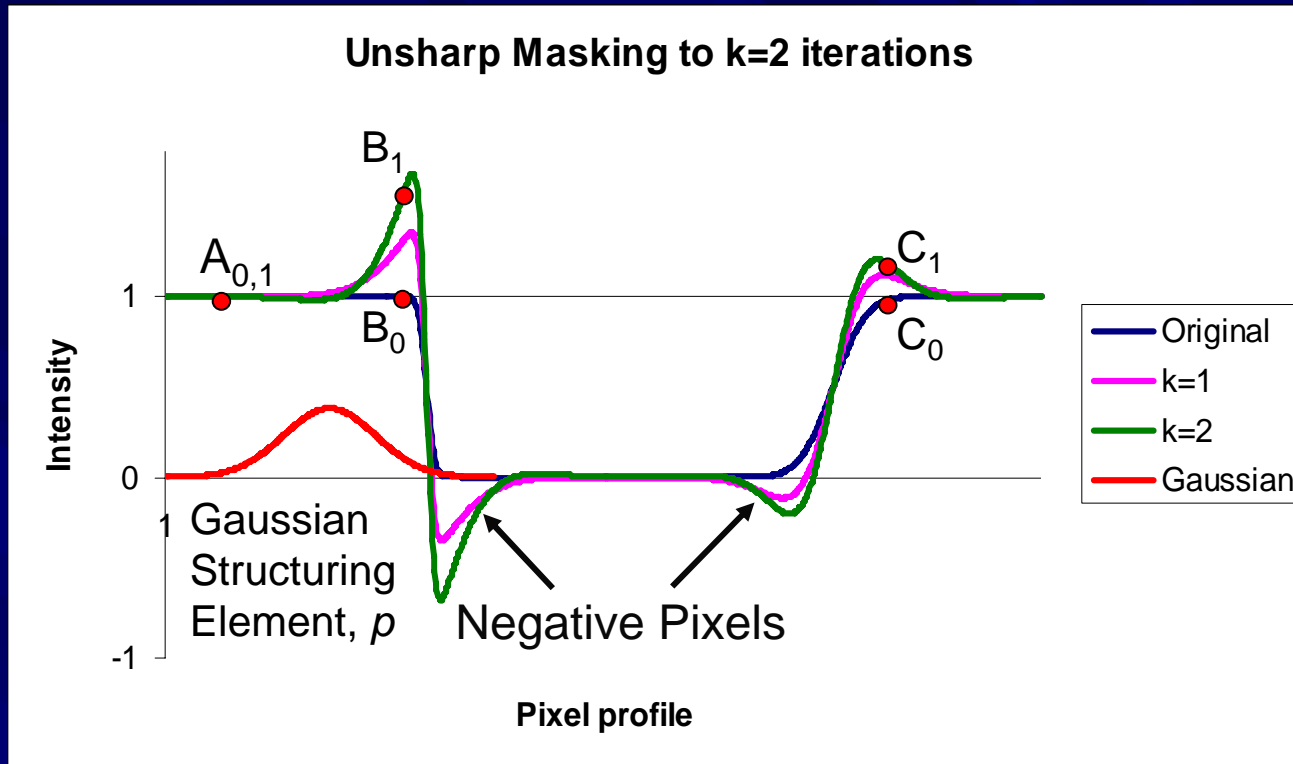
$p$  = 2-d structuring element, Gaussian: 5x5 pixels

$\otimes$  = convolution operator

↑  
High Pass Filter

\* Note: amplified high frequencies oversharpened rock

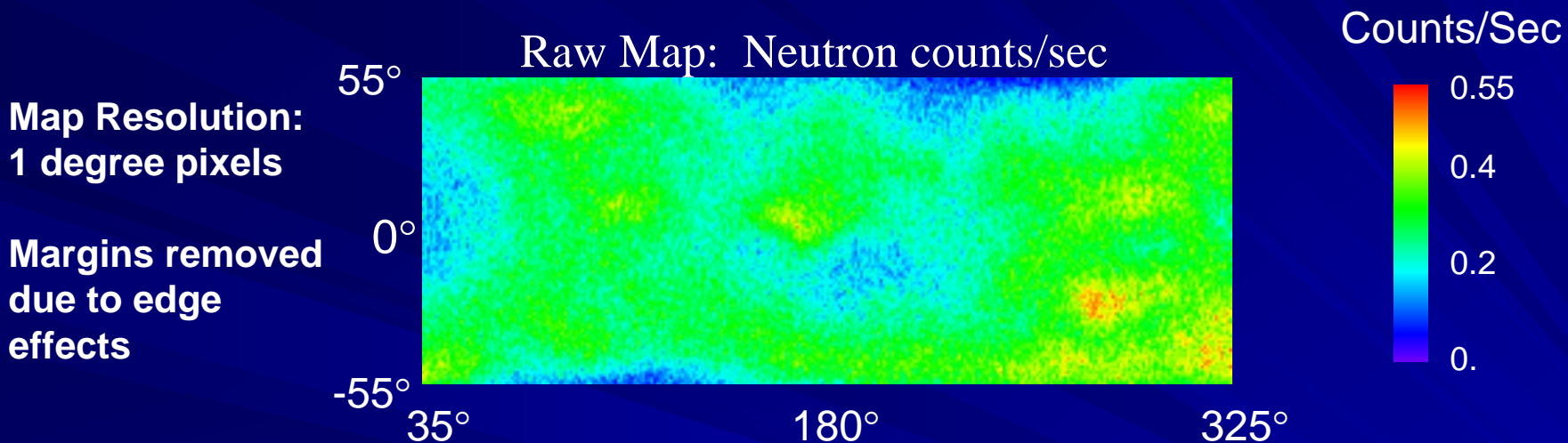
# Unsharp Masking: Pixel Profile, $k = 0, 1, 2$ iterations



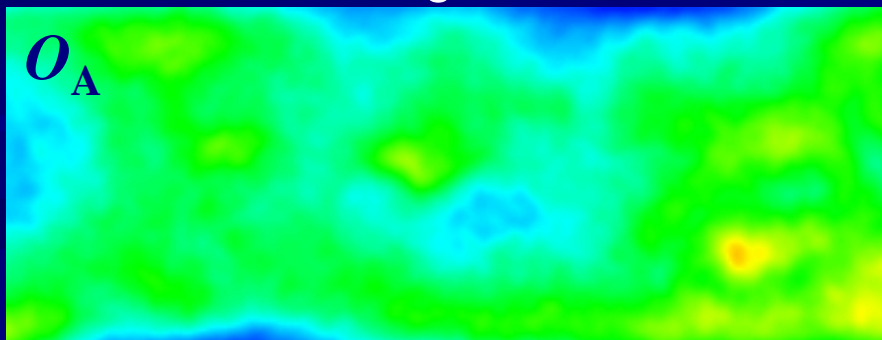
- Variable Pixel Enhancement, Pixel  $[A_0, B_0, C_0] = 1$ ,  $A_1 < C_1 < B_1$   
-  $f(\text{Local Spatial Gradient})$  and  $p$  (size)
- Special handling of Negative Physical Values  $< 0$ . (Threshold)
- Pixel intensity transition =  $f(p, k, r)$  (User Defined), Convergence?

Pre-Transform: HEND Variable initial smoothing,  $O_A, O_B$

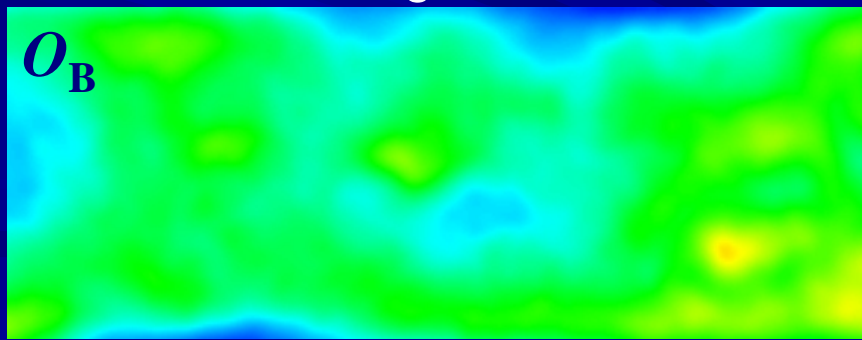
- Incremental Smoothing of Raw Map: 1 and 2 gauss conv.



# Smoothing Iterations = 1

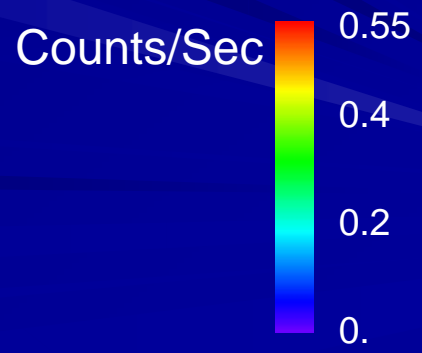
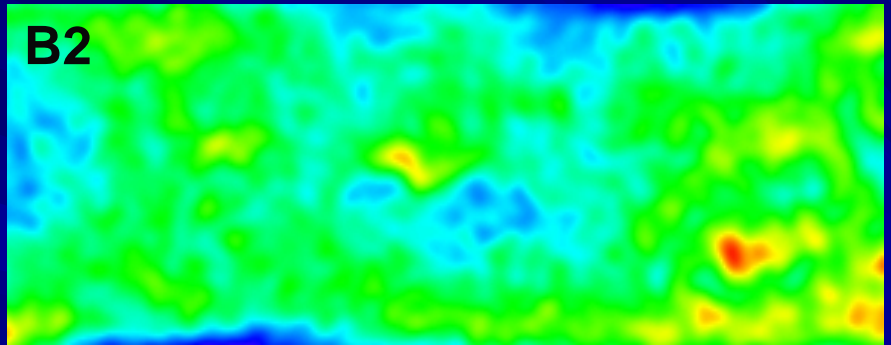
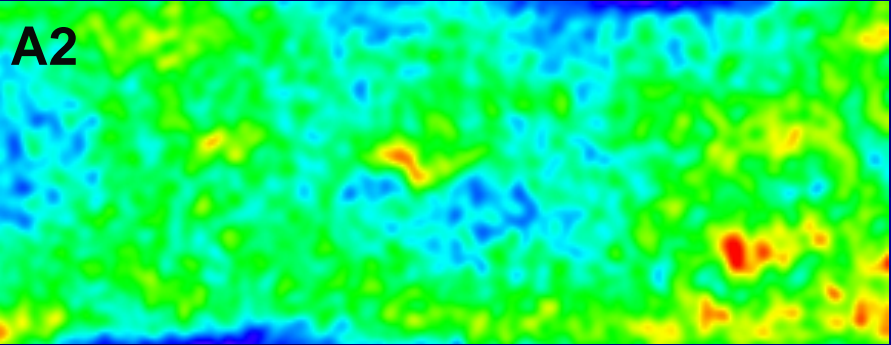
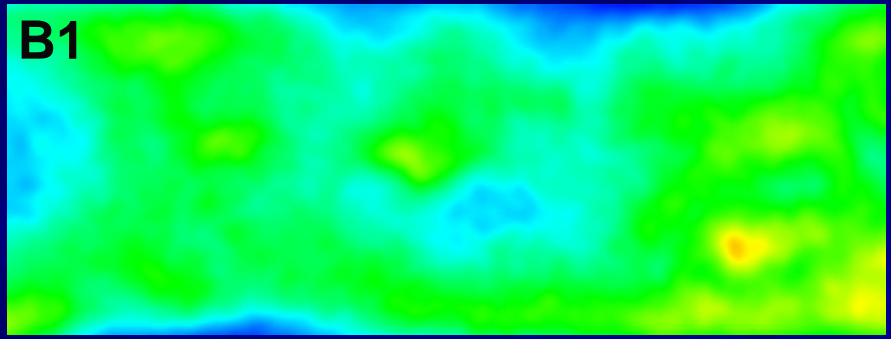
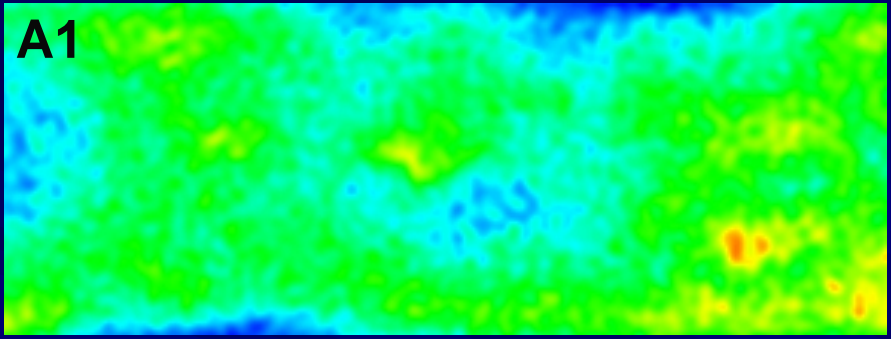


# Smoothing Iterations = 2



# Unsharp Masking of HEND Neutron flux rates:

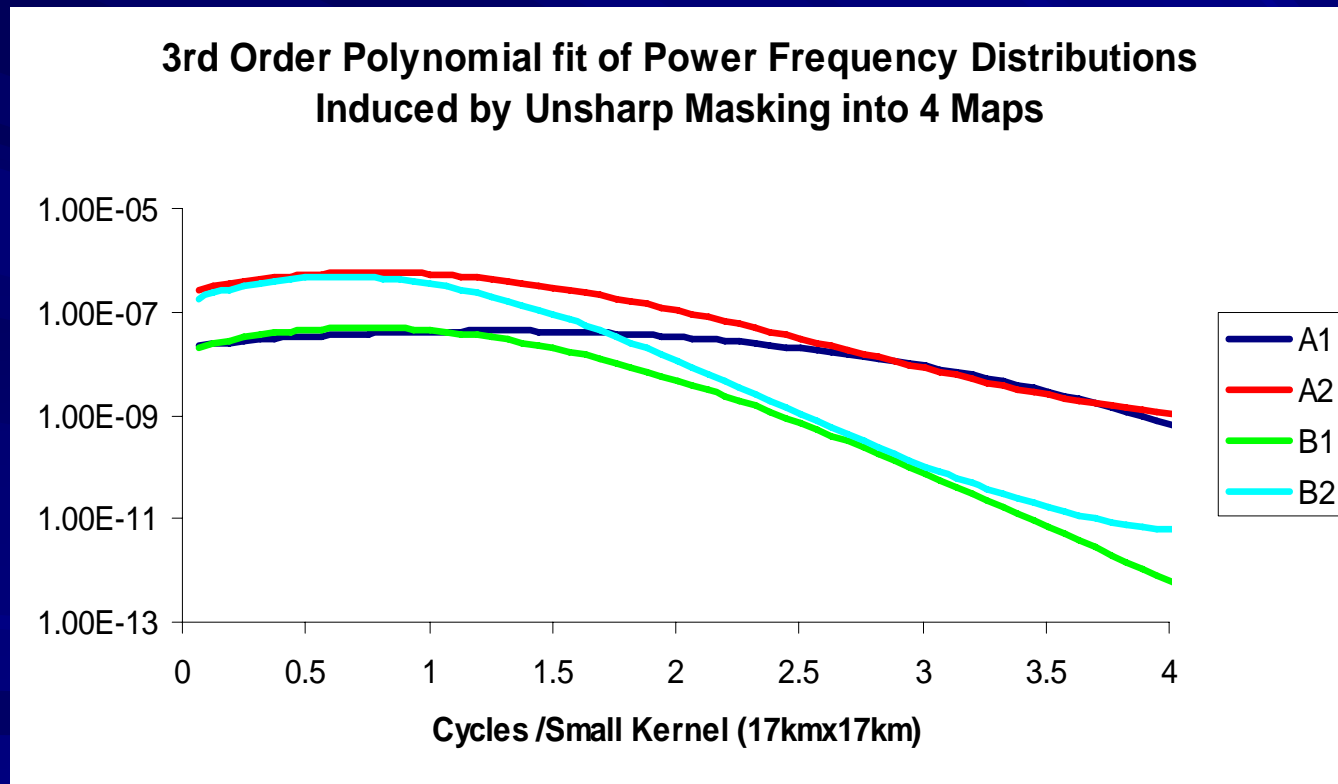
- 4 Results for joint smoothing /kernel configurations



- A1 = 1 pass smoothing,  $p = (17 \times 17)$ km, Gaussian
- A2 = 1 pass smoothing,  $p = (31 \times 31)$ km, Gaussian
- B1 = 2 passes smoothing,  $p = (17 \times 17)$ km
- B2 = 2 passes smoothing,  $p = (31 \times 31)$ km

# Fit of Map Power Spectra at Mid Latitudes, ( $\pm 35^\circ$ ), $1^\circ$

- Subtract Starting Maps, *e.g.*  $A_2 = A_2 - O_A$  (Isolate Transform Effects)
- Mean Fourier Coeffs. from map mid latitude's (71), Avg (FFT)
- Generate Power Spectra for each map's Avg FFT.
- 3<sup>rd</sup> Order Polynomial Fit each Power Spectrum (*visualization*)



- Results jointly dependent:

**Degree of initial smoothing *and* scale of structuring kernel**

## Conclusions:

### 1. Unsharp Masking is:

- An Image Processing Operator (Image Sharpening)
- Enhances local contrast image detail (Noise+signals)
- Not a deconvolution operator (No signal separation)

### 2. Pixels are variably promoted as a function of local spatial gradient in original image.

### 3. Degree of map enhancement is a joint function of several critical user decisions.

- Degree of initial smoothing
- Scale of Transform Structuring Element,  $p$
- Transform Iteration count,  $k$
- Scale of additive high pass filter in each iteration,  $r$



## Conclusions 2:

4. No Convergence Criteria, Possibility Oversharpening
5. Special considerations for negative pixel intensities (Thresholding)
6. Post transform uncertainties at local minima greater than local maxima (as fraction of signal)
7. Distribution of power induced into the map is distributed at frequencies around the scale of the structuring element. (Map Granularity)  
\*Biased transform (Actually, a convolution operator!)